

RADIATION PHYSICS NOTE #11  
ENCLOSURE 100 LABYRINTH STUDIES

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On 10/26/76 a series of measurements was made in the E100 labyrinth at the emergency exit with the recombination chamber. The reason for making the measurements at this time was that E344 had a 12" long 4" diameter Cu target inside 3BØØT (a 10' long EPB dipole). This target was inside the aperture of the emergency exit, hence conditions were similar to those of E211 (Radiation Physics Note #9). The intensity in the pings was approximately  $2.2 \times 10^{11}$  and hence the effect from this target was expected to be much greater than the background from the muon line operation. We shall present three results:

1. An absolute calculation of the neutron flux and a comparison to the recombination chamber response at the door of E100.
2. A comparison of the fall off in the labyrinth of the chamber response to the expected fall off using the parameters in RP #9.
3. Quality factor measurements at three locations inside the labyrinth.

In order to make the absolute calculation we shall follow the similar calculation in RP #9.

Figure 1 depicts the geometry of the problem. As in RP #9 we measure longitudinal distances in units of 56" (this is the

square root of the area of the tunnel). From the figure we see that the two distances of interest are

$$d1 = \text{target to labyrinth entrance} = 9'$$

$$d2 = \text{distance from entrance to exit door} = 9.2 \text{ units} \\ (43')$$

Following the reasoning in RP #9 and assuming 1 neutron/GeV isotropically distributed, we can estimate  $n/\text{cm}^2$  at the labyrinth mouth in the following manner:

$$\text{Neutron Flux} = \frac{N * E}{4\pi r^2} = \frac{2.2 \times 10^{11} \cdot 400}{4\pi (9 \times 12 \times 2.54)^2} = 9.3 \times 10^7 \text{ n/cm}^2 \text{ pulse.}$$

$$N = \text{number of incident protons} = 2.2 \times 10^{11}$$

$$E = \text{incident energy in GeV} = 400 \text{ GeV}$$

$$r = \text{source to labyrinth mouth distance}$$

Now we will use the exponential fit for the first leg as given in RP #9 and calculate the attenuation to the exit door.

$$\text{Attenuation factor} = .745 e^{-.98 * 9.2} = 9 \times 10^{-5}.$$

$$\text{Hence at the door we expect } n/\text{cm}^2 = 8.4 \times 10^3 \text{ n/cm}^2 \text{ pulse.}$$

Using the quoted sensitivity of the chamber we measure 1.5 mrad/pulse at the exit door, and we wish to relate this to  $n/\text{cm}^2$ . As discussed below we have measured the quality factor at the door to be 6.5. If we make the rash assumption that all the neutrons are 10 MeV ( $QF = 6.5$ ), then from p. 69 of Patterson and Thomas we find that  $3600 n/\text{cm}^2 = 1 \text{ mrad}$ , and hence we would expect  $1.5 \times 3600 n/\text{cm}^2 = 5.4 \times 10^3 n/\text{cm}^2$  at the door, to be compared to the calculated value of  $8.4 \times 10^3 n/\text{cm}^2$ . These two values are reasonably close given the nature of the assumptions made.

Next we shall compare the attenuation of the chamber response in the labyrinth to the parametrized fall off in the E211 data. Since the detectors are not the same, precise agreement would be surprising.

There are three attenuation factors in the comparison of the first to the second chamber measurement. The second measurement was made

- |   |                         |
|---|-------------------------|
| A | 14' further down leg #1 |
| B | around the bend         |
| C | 3' further into leg #2. |

Hence we have an overall attenuation factor of

$$(e^{-.98 * 3.}) \left(\frac{1}{3}\right) (e^{-1.05 * .64}) = .009$$

and we have measured a value of .006. The value of 3 instead of 5 for the attenuation due to the bend is due to the fact that there is no cul-de-sac. The next measurement was made 10' 8" further down leg #2 and again around the corner. Here the bend factor was assumed to be 2.5 instead of 4 (the reduction of the attenuation for bends one and two was the same). The measured and calculated attenuation factors are both .06.

The quality factor was measured at the three chamber positions, and the results are summarized in this table

position QF	
1	6.5
2	2.8
3	2.0

The second digit is illusory since the errors are on the order of 30%. However, fig. 2 shows the data from this set of measurements along with results for a Cesium source, a PuBe source, and for 225 GeV/c muons. The data is plotted in the following manner, for each voltage setting the current is divided by the current at a voltage of 1200 volts. Hence, all the curves start at a value of  $I/I_{\text{sat}} = 1$ . Qualitatively the data from the position near the door follow the PuBe data quite well, and the data from position number 2 clearly falls between the Cesium source ( $QF = 1.$ ) and the PuBe source  $QF$  (measured to be 6.8).

The formula for computing quality factors from recombination chamber measurements is  $QF = 25 * (1. - I_{V=65}/I_{V=1200})$ , and the quoted errors are  $\pm 25\%$ . This is how the values quoted above were obtained. However, to have confidence in the result, a complete plateau curve should be taken. Using the curves taken at positions 1 and 2 it is clear that there is a real change in the chamber response as a function of applied voltage, confirming that there is a real change in  $QF$ .



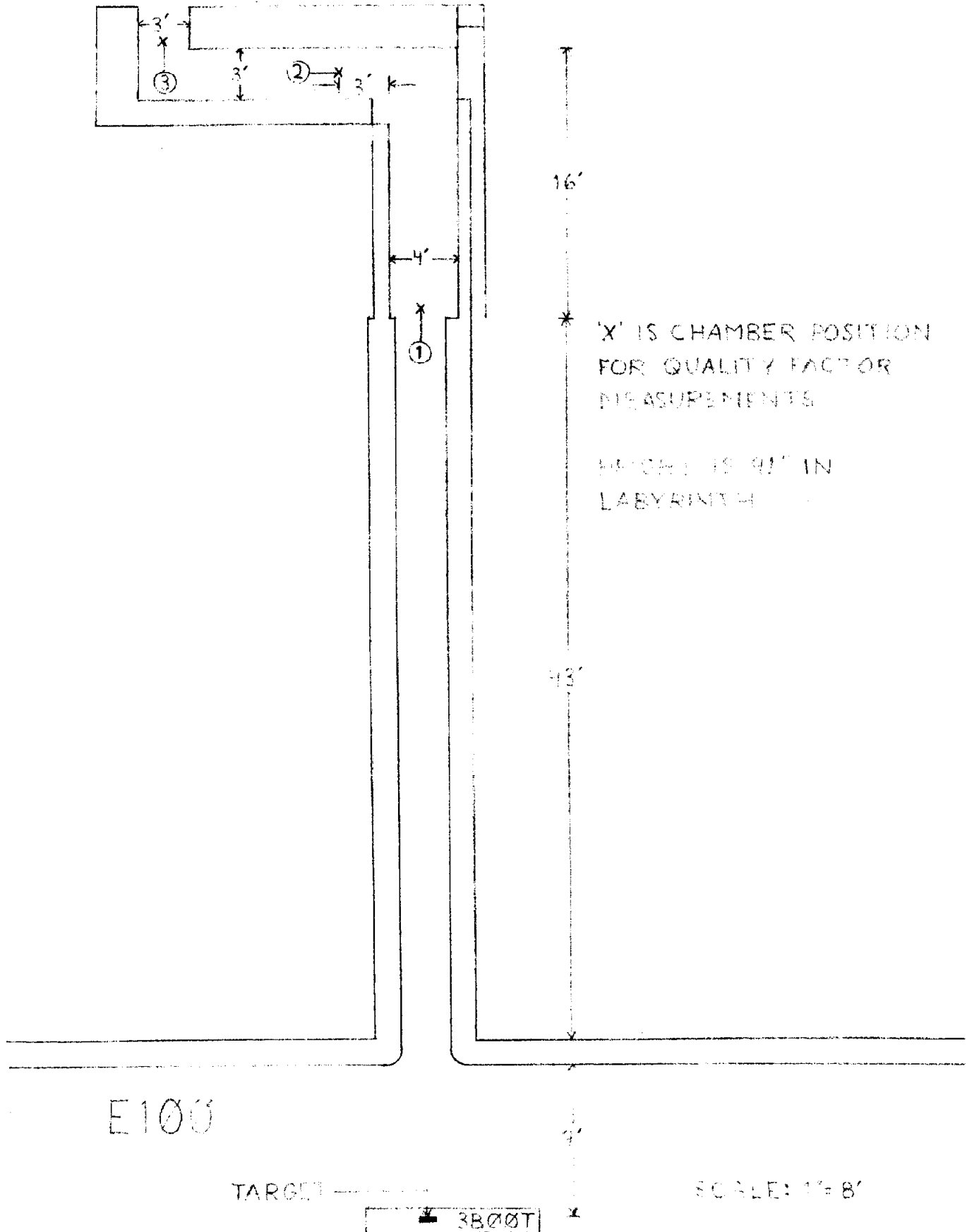
SUBJECT

FIGURE 1 E100 LABYRINTH

NAME

DATE

REVISION DATE



$\times \text{PuBe} \cdot \text{Cs}$      $\circ \text{MuON}$      $+ \text{E100 (1000+)} (\text{POSITION \#1})$   
 $\square \text{E100 (2nd 100)} (\text{POSITION \#2})$

Figure 2

